

# Shrinking models

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# LASSO

Our model through several of these methods:

$$y_i = X_i\beta + \varepsilon_i$$

$X_i$  is of high dimension, maybe bigger than number of observations. LASSO:  
Choose  $\beta$  to minimize

$$\sum (y_i - X_i\beta)^2 + \lambda \sum_j |\beta_j|$$

- This objective function is equivalent to the log likelihood for a model with independent Laplace priors on the  $\beta_j$ 's.

# Ridge

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# Comparing ridge and LASSO with orthogonal regressors

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# Bayesian Model Averaging

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# Likelihood-based factor analysis, principal components

## Comparing PC and FA to preceding methods

- Unlike the preceding approaches, this one shrinks dimensionality before looking at the dependent variable.
- Simply looking for the best linear predictor takes us back to OLS.
- But, inspired by neural networks, one could impose sparsity on  $\alpha$  in

$$y = X\alpha\beta + \varepsilon$$

# Many instruments

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